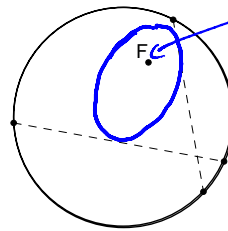
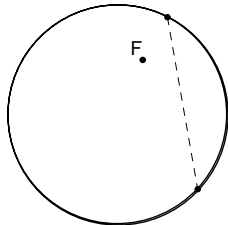
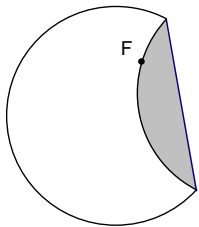


1. Folding a circle (G & PC) (SG)

Plot a point somewhere inside your circle and label it F.

Fold your circle so that a point on the edge lands on F.



*not the center
maybe circle?
maybe an ellipse?
Is the other focus
at the center?*

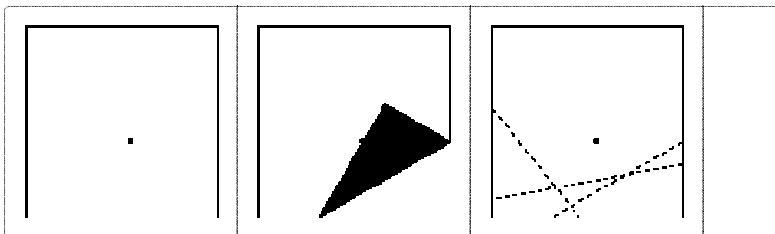
Unfold the circle, and repeat so that a different point on the circle lands on F.

Repeat many times (when you get really bored, about ten more times should do it).

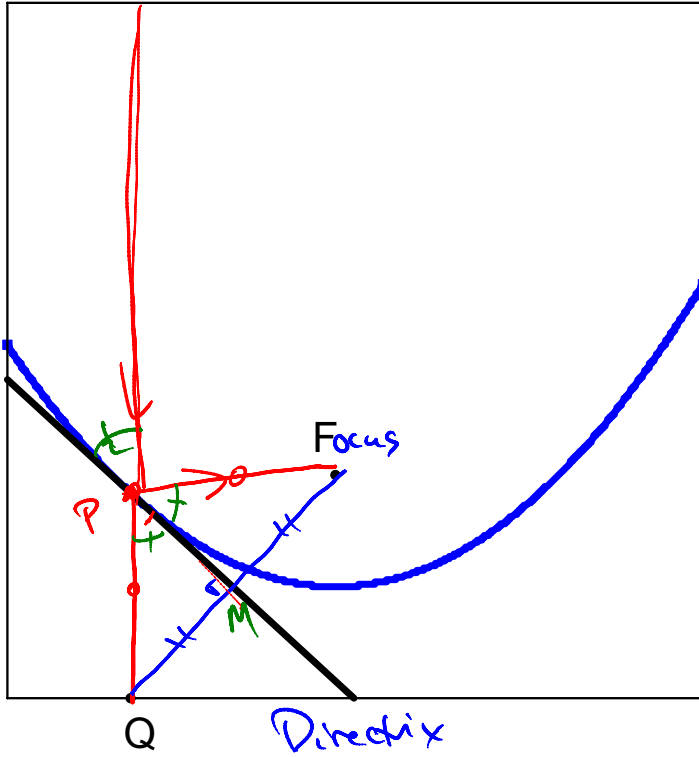
What shape do you see?

2. A simpler case: folding a square (G & PC) (SG-PJK)

Repeat the process with a square: plot a point F, fold the bottom edge of the square onto the point, unfold, and repeat, using the bottom edge each time!!!

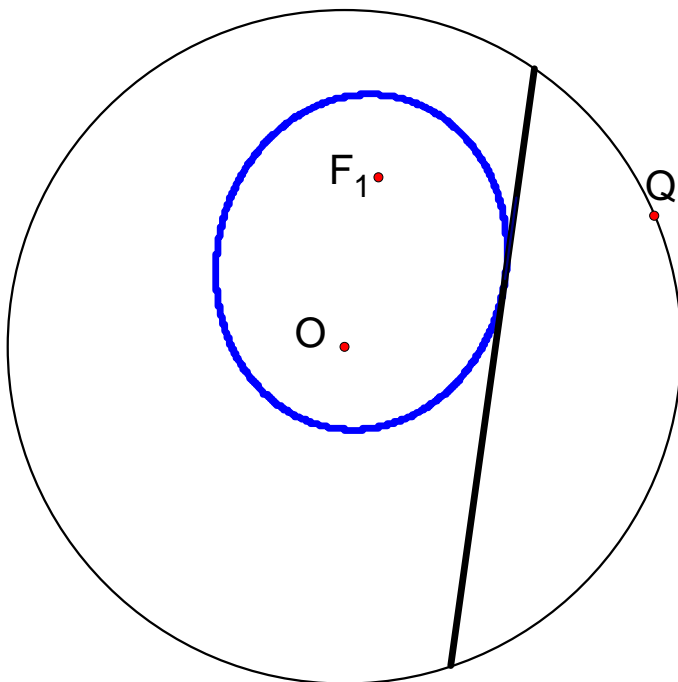


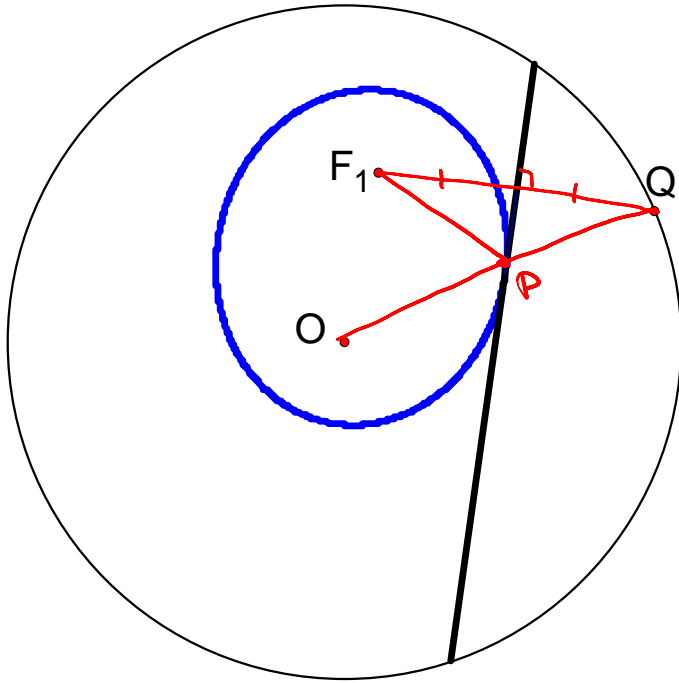
What shape do you see? Why?



$\angle QPM \cong \angle MPF$
 $\angle QPM \cong \angle 2$

3. Folding a circle: reprise (G & PC) (PJK)



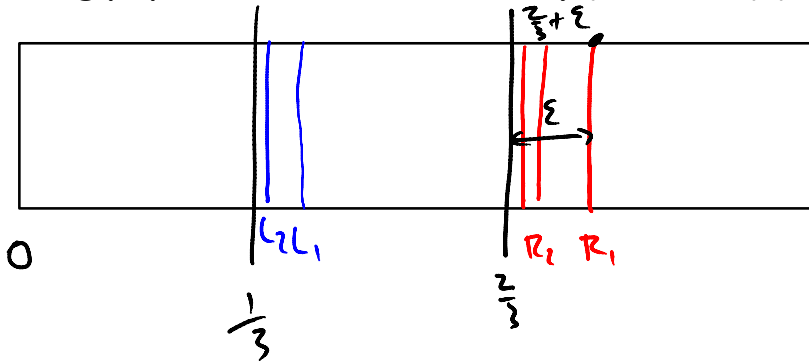


As Q moves around the \odot , OQ is invariant

$$F_1P = PQ, \text{ so}$$

$$F_1P + OP = OP + PQ = \text{constant}$$

4. Folding paper into thirds iteratively (A2, PC, C) (PJK)



$$R_1 = \frac{2}{3} + \epsilon$$

$$L_1 = \frac{0 + \frac{2}{3} + \epsilon}{2}$$

$$= \frac{1}{3} + \frac{\epsilon}{2}$$

$$R_2 = \text{MP of } \overline{L_1, 1}$$

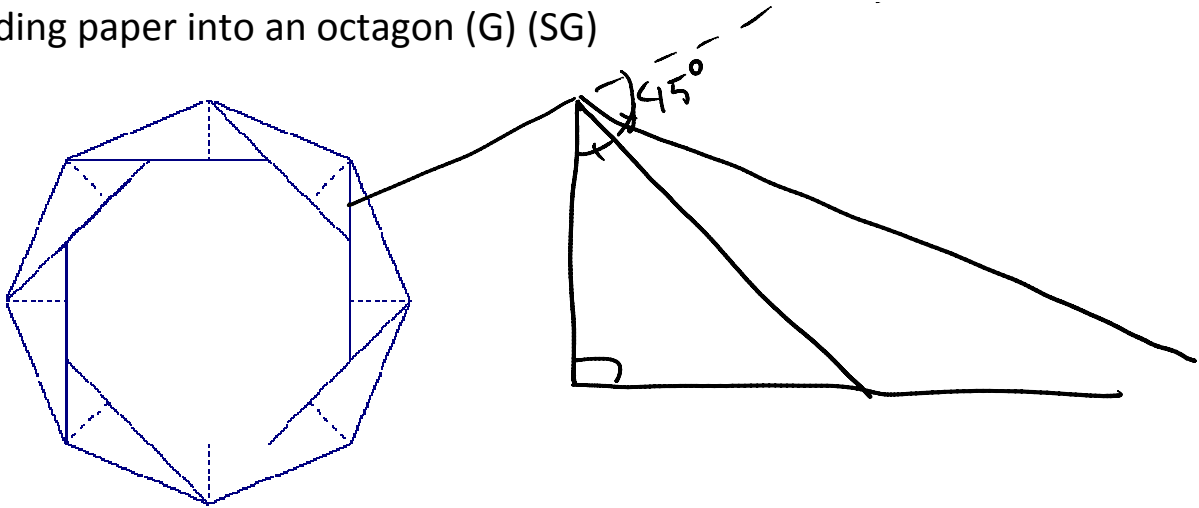
$$= \frac{1 + \frac{1}{3} + \frac{\epsilon}{2}}{2}$$

$$= \frac{2}{3} + \frac{\epsilon}{4}$$

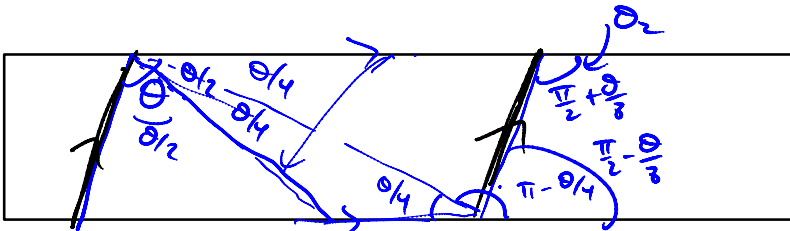
Optimistic Algorithm

=

5. Folding paper into an octagon (G) (SG)



6. Investigating folding sequences (G-C?) (PJK)



$$\theta = \frac{\pi}{2} + \frac{\theta}{2}$$

$$\frac{7\theta}{2} = \frac{\pi}{2}$$

$$\theta = \frac{4\pi}{7}$$

① If original \angle was

$$\theta_1 = \frac{4\pi}{7} + \epsilon$$

Then $\theta_2 = \frac{4\pi}{7} + \frac{\epsilon}{2}$?

② What are the lengths of the creases?

③ What sequence of Powers & Ups gives me a particular angle?

④ Can any particular angle be the limit of an iterated folding sequence? (exterior- \angle s of regular polygons?)

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